

# Topic 2: Complexity of Query Evaluation

## Unit 3: Provenance

### Lecture 16

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CS7240 Principles of scalable data management (sp23)

<https://northeastern-datalab.github.io/cs7240/sp23/>

3/3/2023

## *Topic 2: Complexity of Query Evaluation & Reverse Data Management*

- **Lecture 13 (Tue 2/21): T2-U1 Conjunctive Queries**
- **Lecture 14 (Fri 2/24): T2-U1 Conjunctive Queries**
- **Lecture 15 (Tue 2/28): T2-U1/2 Conjunctive & Beyond Conjunctive Queries**
- **Lecture 16 (Fri 3/3): T2-U4 Reverse Data Management**

Pointers to relevant concepts & supplementary material:

- **Unit 1. Conjunctive Queries:** Query evaluation of conjunctive queries (CQs), data vs. query complexity, homomorphisms, constraint satisfaction, query containment, query minimization, absorption: [Kolaitis, Vardi'00], [Vardi'00], [Kolaitis'16], [Koutris'19] L1 & L2
- **Unit 2. Beyond Conjunctive Queries:** unions of conjunctive queries, bag semantics, nested queries, tree pattern queries: [Kolaitis'16], [Tan+'14], [G.'11], [Martens'17]
- **Unit 3. Provenance:** [Buneman+02], [Green+07], [Cheney+09], [Green,Tannen'17], [Kepner+16], [Buneman, Tan'18]
- **Unit 4. Reverse Data Management:** update propagation, resilience: [Buneman+02], [Kimelfeld+12], [Freire+15]

## *Topic 3: Efficient Query Evaluation & Factorized Representations*

- Spring break (Tue 3/7, Fri 3/10: **Northeast Database day 2023 @ Northeastern**)
- **Lecture 17 (Tue 3/14): T3-U1 Acyclic Queries**

## *Topic 4: Normalization, Information Theory & Axioms for Uncertainty*

- **Lecture:** Normal Forms & Information Theory
- **Lecture:** Axioms for Uncertainty

## *Topic 5: Linear Algebra & Iterative Graph Algorithms*

- **Lecture:** Graphs & Linear Algebra
- **Lecture:** Computation Graphs

# Outline: T2-3/4: Provenance & Reverse Data Management

- T2-3: Provenance
  - Data Provenance
  - The Semiring Framework for Provenance
  - Algebra: Monoids and Semirings
  - Query-rewrite-insensitive provenance
- T2-4: Reverse Data Management
  - View Deletion Problem
  - Resilience & Causality

## *Data provenance.*

~ Explanations

Imagine a computational process that uses a complex input consisting of multiple items. The granularity and nature of “input item” can vary significantly. It can be a single tuple, a database table, or a whole database. It can be a spreadsheet describing an experiment, a laboratory notebook entry, or another form of capturing annotation by humans in software. It can also be a file, or a storage system component. It can be a parameter used by a module in a scientific workflow. It can also be a configuration rule used in software-defined routing or in a complex network protocol. Or it can be a configuration decision made by a distributed computation scheduler (think map-reduce). *Provenance analysis* allows us to understand how these different input items affect the output of the computation. When done appropriately, such

# Near-Term Challenges in II

II = Intelligent Infrastructure

- Error control for multiple decisions
- Systems that create markets
- Designing systems that can provide meaningful, calibrated notions of their uncertainty
- Achieving real-time performance goals
- Managing cloud-edge interactions
- Designing systems that can find abstractions quickly
- Provenance in systems that learn and predict
- Designing systems that can explain their decisions
- Finding causes and performing causal reasoning
- Systems that pursue long-term goals, and actively collect data in service of those goals
- Achieving fairness and diversity
- Robustness in the face of unexpected situations
- Robustness in the face of adversaries
- Sharing data among individuals and organizations
- Protecting privacy and issues of data ownership

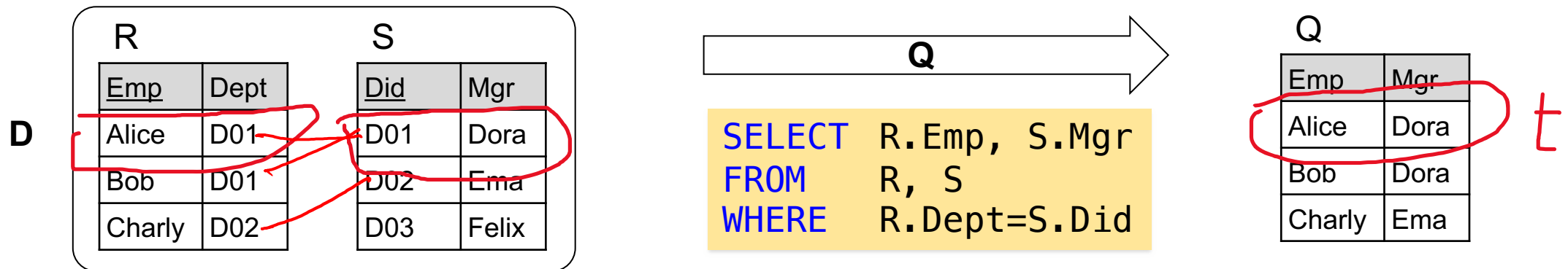
# Provenance: “Where Did this Data Come from?”

- Whenever data is shared (e.g., science, Web) natural questions appear:
  - How did I get this data?
  - What operations were used to create the data?
  - How much should I trust (believe) it?
- **Provenance**: describes the origins and history of data in its life cycle
- Two types of provenance
  - Provenance inside a database: that's our focus
  - Provenance outside databases: focus of ongoing research esp. in ML (causes, influence, fairness); less well-defined; there is a standard OPM (Open Provenance Model)
- There are also questions for our focus, provenance inside DBMS:
  - What is the "right data model" of provenance?
  - How do we query it? What operations should we support?



# Example of data provenance

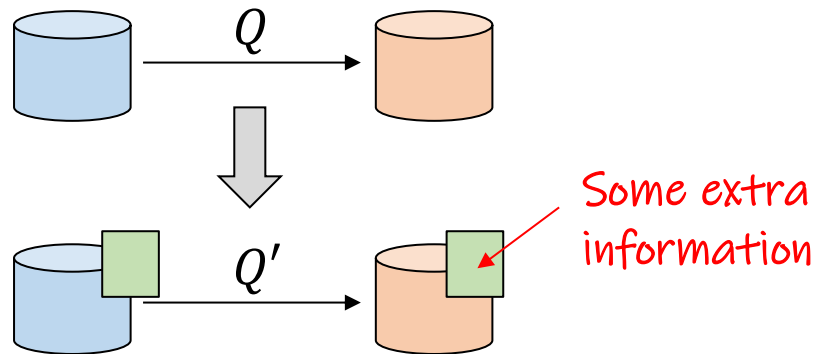
- A typical question:
  - For a given database  $D$ , a query  $Q$ , and a tuple  $t$  in the output of  $Q(D)$ , which parts of  $D$  “contribute” to output tuple  $t$ ?



- The question can be applied to **attribute values**, **tables**, **rows**, etc.

# Two approaches

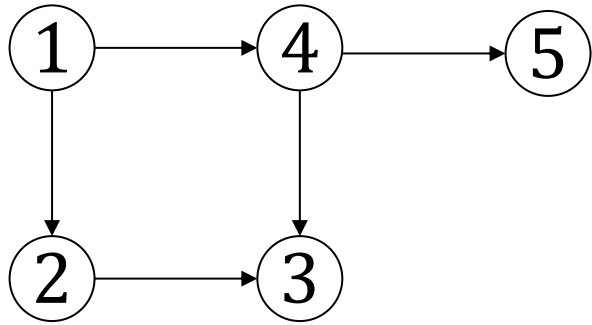
- **Eager** or annotation-based ("annotation propagation")
  - Changes the transformation from  $Q$  to  $Q'$  to carry extra information
  - Full source data not needed after transformation



- **Lazy** or non-annotation based
  - $Q$  is unchanged
  - Recomputation and access to source required.
    - Good when extra storage is an issue.



# Example graph problem, in 5 different variants

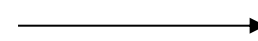


E

from to

1	2
2	3
1	4
4	3
4	5

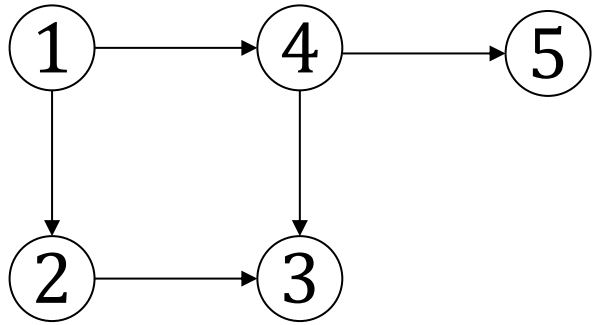
$Q(z) :- E(1,y), E(y,z)$



?

Q: Points reachable in 2 hops, starting at node "1"

# Example graph problem, in 5 different variants

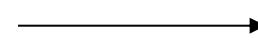


E

from to

1	2
2	3
1	4
4	3
4	5

$$Q(z) :- E(1,y), E(y,z)$$

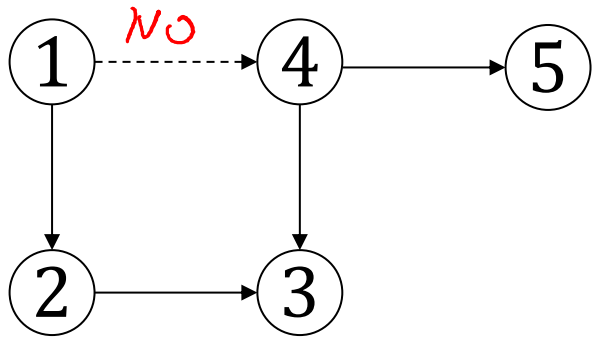


Q

3
5

Q: Points reachable in 2 hops, starting at node "1"

# Example variant 1



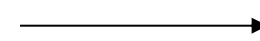
Now assume only certain edges are available (available yes/no or true/false). Which of the points remain reachable?

E

from to

1	2	yes
2	3	yes
1	4	no
4	3	yes
4	5	yes

$Q(z) :- E(1,y), E(y,z)$



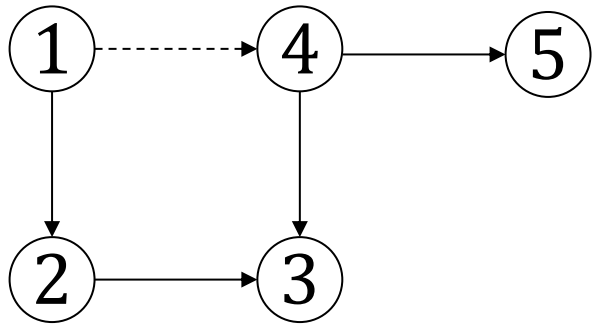
Q

3
5

?

Q: Points reachable in 2 hops, starting at node "1"

# Example variant 1



Now assume only certain edges are available (available yes/no or true/false). Which of the points remain reachable?

E

from	to	
1	2	yes
2	3	yes
1	4	no
4	3	yes
4	5	yes

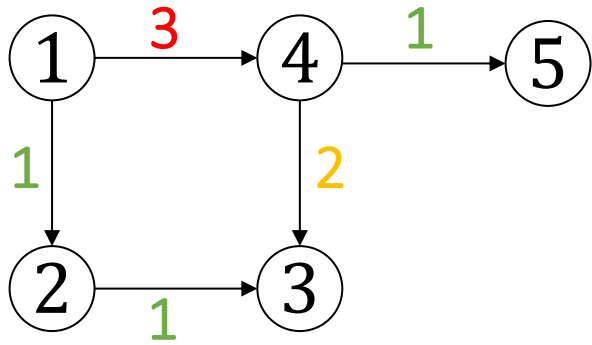
$Q(z) :- E(1,y), E(y,z)$

Q: Points reachable in 2 hops, starting at node "1"

Q

3	yes
5	no

# Example variant 2



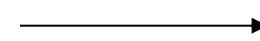
Now assume passing along an edge needs a certain security clearance ( $1 < 2 < 3$ ).  
What clearance do you need for reaching each point?

E

from to

1	2	1
2	3	1
1	4	3
4	3	2
4	5	1

$Q(z) :- E(1,y), E(y,z)$



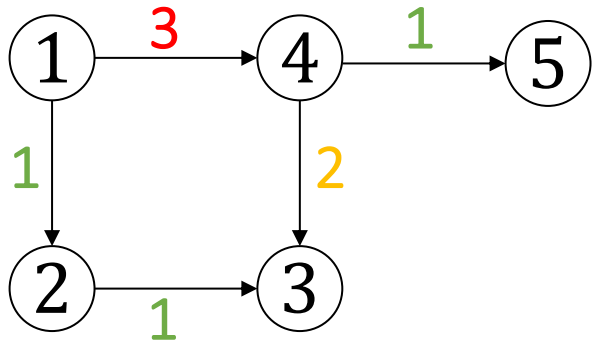
Q

3
5

?

Q: Points reachable in 2 hops, starting at node "1"

# Example variant 2

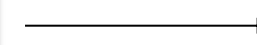


Now assume passing along an edge needs a certain security clearance ( $1 < 2 < 3$ ).  
What clearance do you need for reaching each point?

E

from	to	
1	2	1
2	3	1
1	4	3
4	3	2
4	5	1

$$Q(z) :- E(1,y), E(y,z)$$

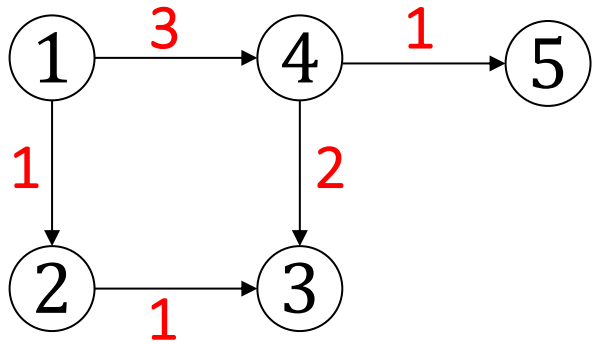


Q

3	1
5	3

Q: Points reachable in 2 hops, starting at node "1"

# Example variant 3

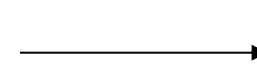


Now assume each edge has a weight.  
What is the shortest path to reach each point?

E

from	to	
1	2	1
2	3	1
1	4	3
4	3	2
4	5	1

$$Q(z) :- E(1,y), E(y,z)$$



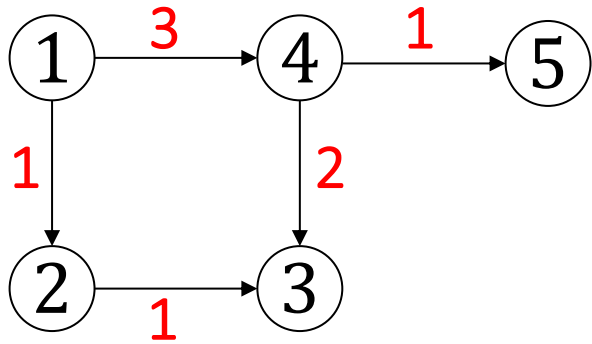
Q

3
5

?

Q: Points reachable in 2 hops, starting at node "1"

# Example variant 3



Now assume each edge has a weight.  
What is the shortest path to reach each point?

**E**

from	to	
1	2	1
2	3	1
1	4	3
4	3	2
4	5	1

$$Q(z) :- E(1,y), E(y,z)$$

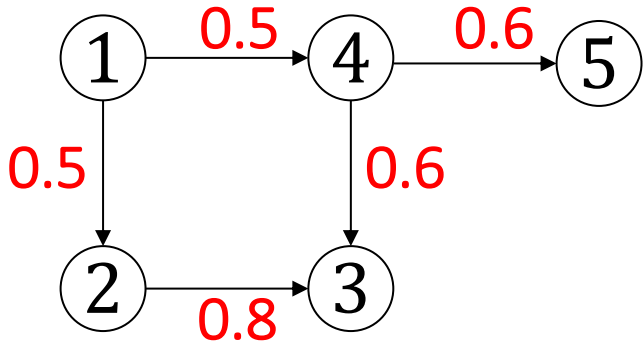
Q: Points reachable in 2 hops, starting at node "1"

**Q**

3	2
5	4



# Example variant 4



Now assume each edge has a confidence (probability of being available).

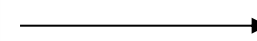
What is the probability of the most likely path?

E

from to

1	2	0.5
2	3	0.8
1	4	0.5
4	3	0.6
4	5	0.6

$Q(z) :- E(1,y), E(y,z)$



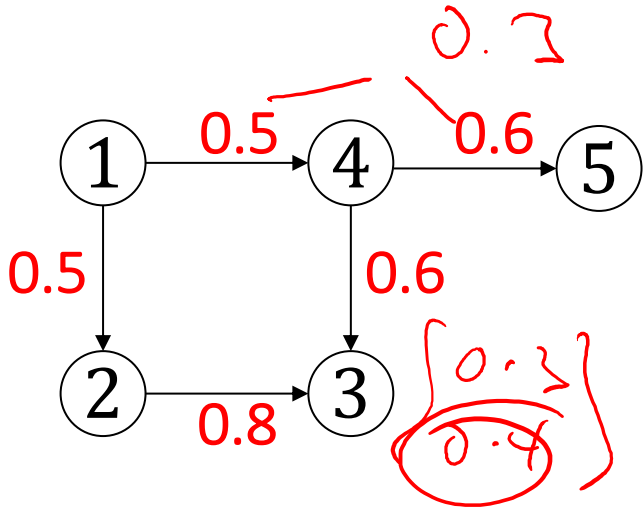
Q  

3
5

?

Q: Points reachable in 2 hops, starting at node "1"

# Example variant 4



Now assume each edge has a confidence (probability of being available).  
 What is the probability of the most likely path?

**E**

from	to	
1	2	0.5
2	3	0.8
1	4	0.5
4	3	0.6
4	5	0.6

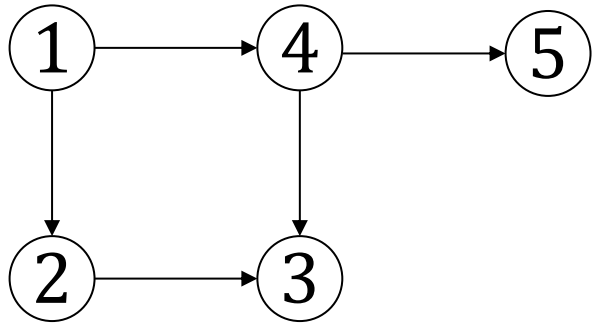
$$Q(z) :- E(1,y), E(y,z)$$

Q: Points reachable in 2 hops, starting at node "1"

**Q**

3	0.4
5	0.3

# Example variant 5



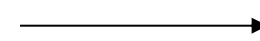
Finally assume we want to calculate the number of paths to a node. How many are there? What is even a reasonable way to calculate that in general?

E

from to

1	2
2	3
1	4
4	3
4	5

$$Q(z) :- E(1,y), E(y,z)$$



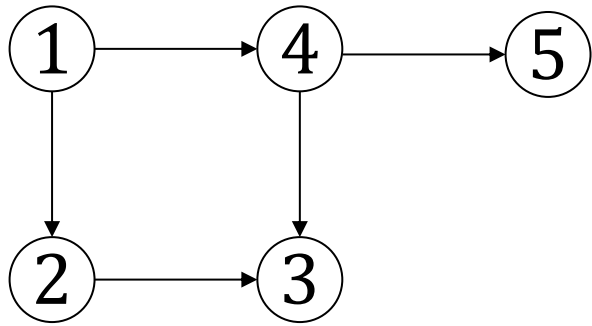
Q

3
5

?

Q: Points reachable in 2 hops, starting at node "1"

# Example variant 5



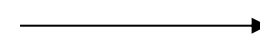
Finally assume we want to calculate the number of paths to a node. How many are there? What is even a reasonable way to calculate that in general?

E

from to

1	2
2	3
1	4
4	3
4	5

$$Q(z) :- E(1,y), E(y,z)$$



Q

3	2
5	1

Q: Points reachable in 2 hops, starting at node "1"