

# Topic 2: Database design

## L22: Normalization

Wolfgang Gatterbauer

CS3200 Database design (fa22)

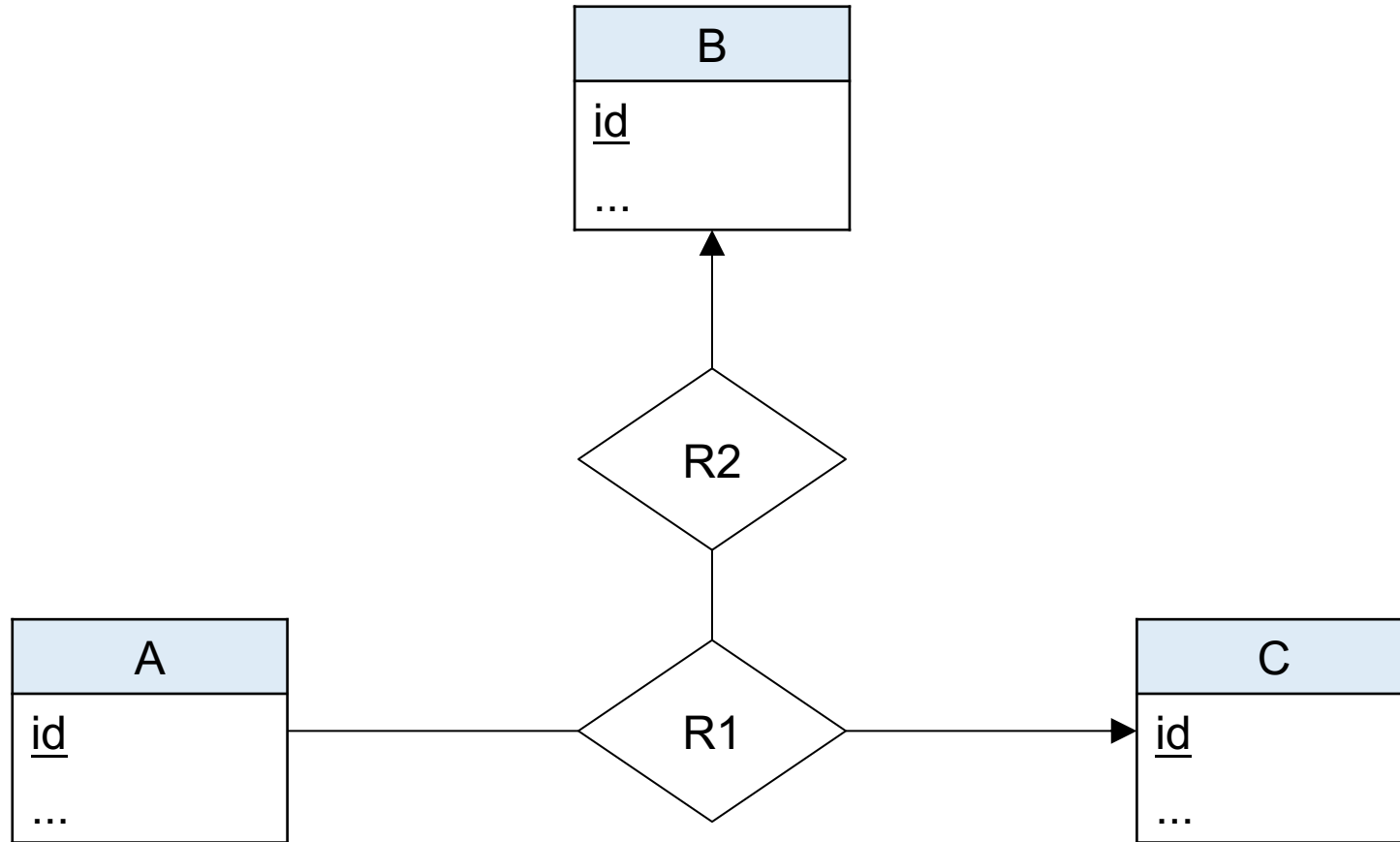
<https://northeastern-datalab.github.io/cs3200/fa22s3/>

11/30/2022

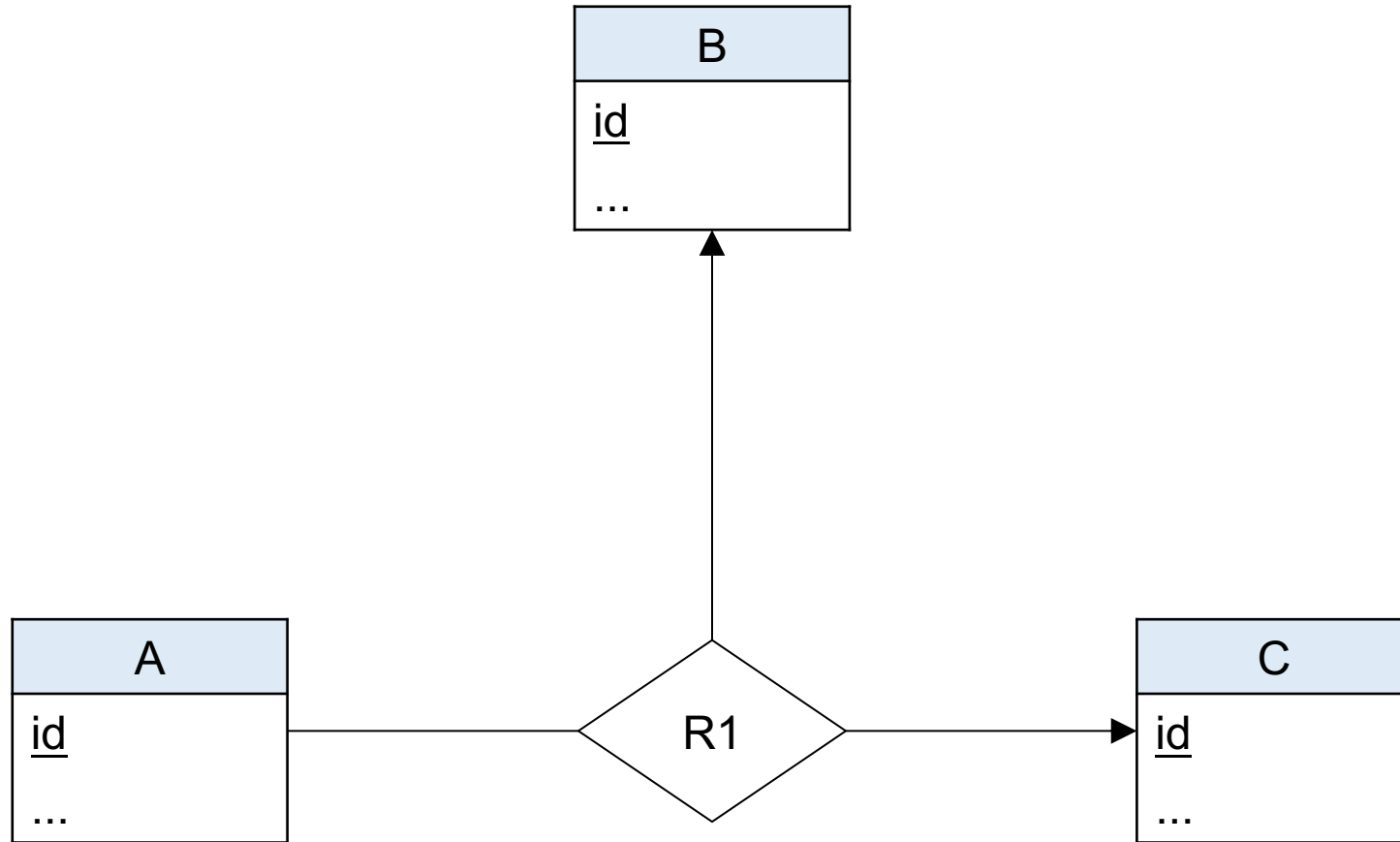
# Class warm-up

- Exchange of best practice ideas on drawing ER diagrams: What works for you?
  - text analysis (with bullet points): entities -> relationships -> attributes
- Project reports: data requirements easiest to list in bullet points
  - see comments on Canvas
- Normalization from last tim
  
- Today: normalization
- Then: transactions

# ERD best practice

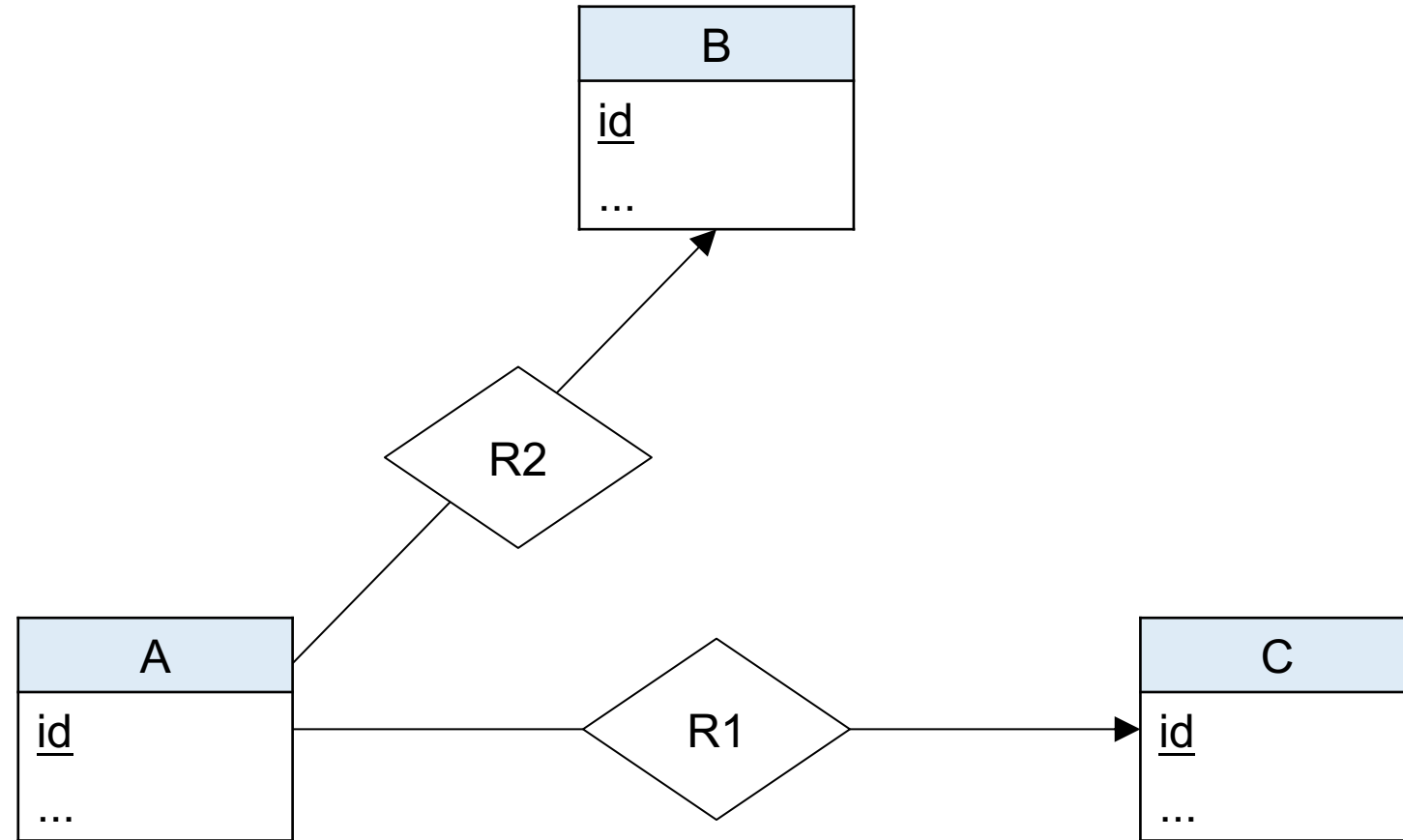


# ERD best practice



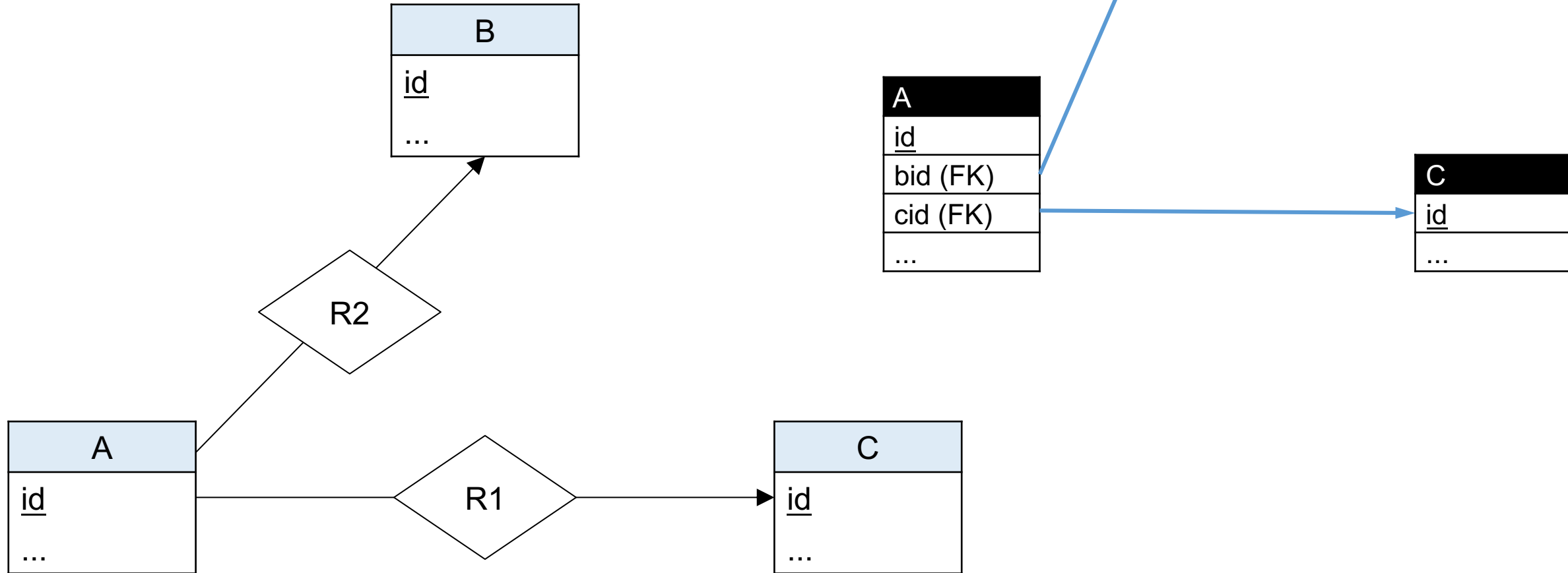
*Assume no additional attributes on R1*

# ERD best practice

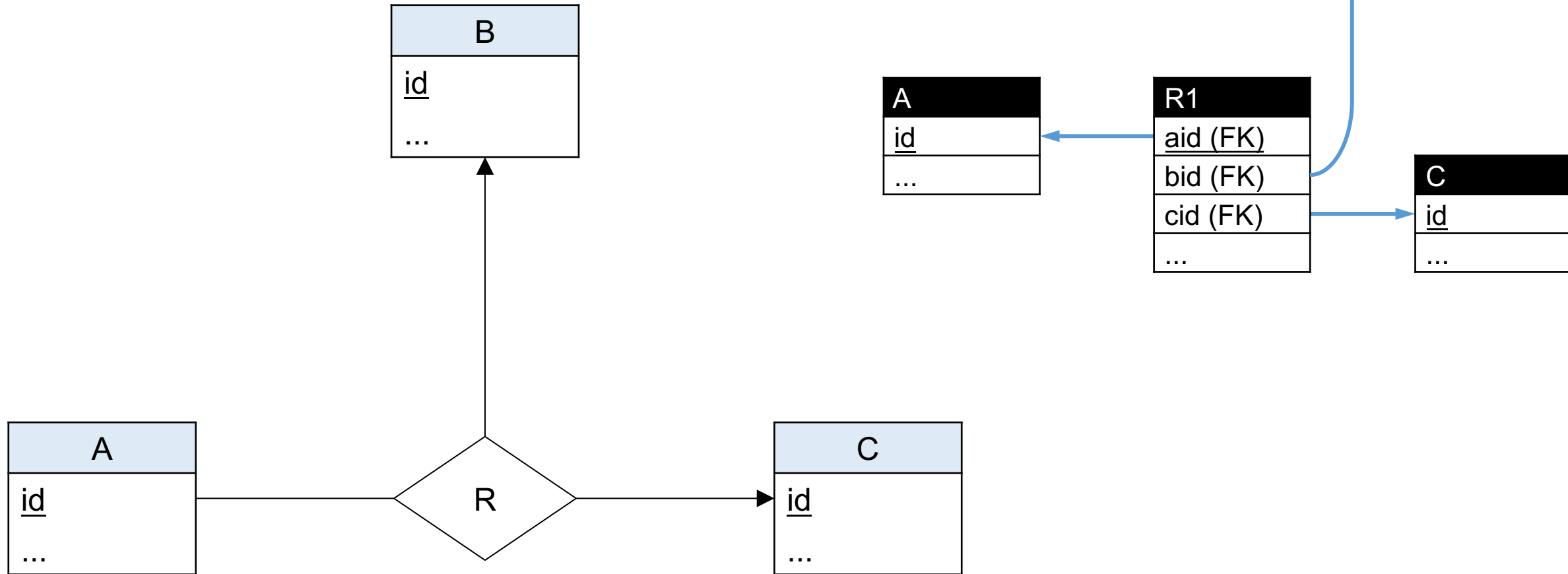


*As tables ?*

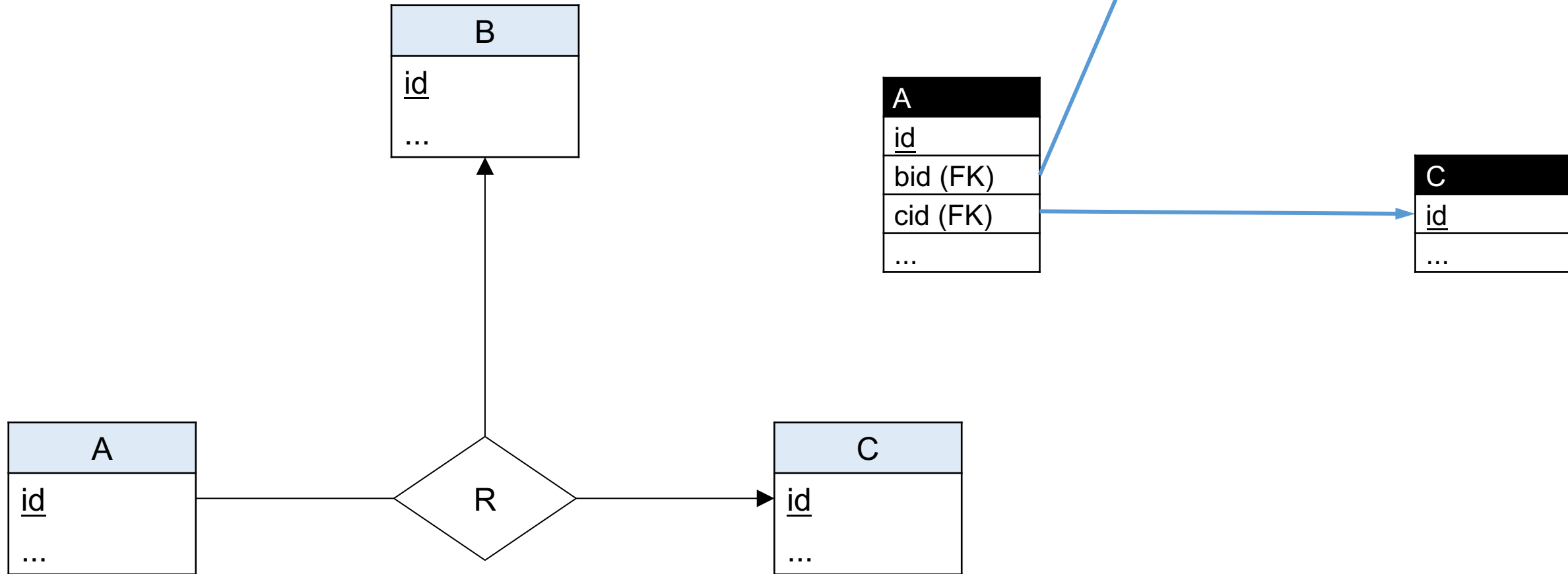
# ERD best practice



# ERD best practice

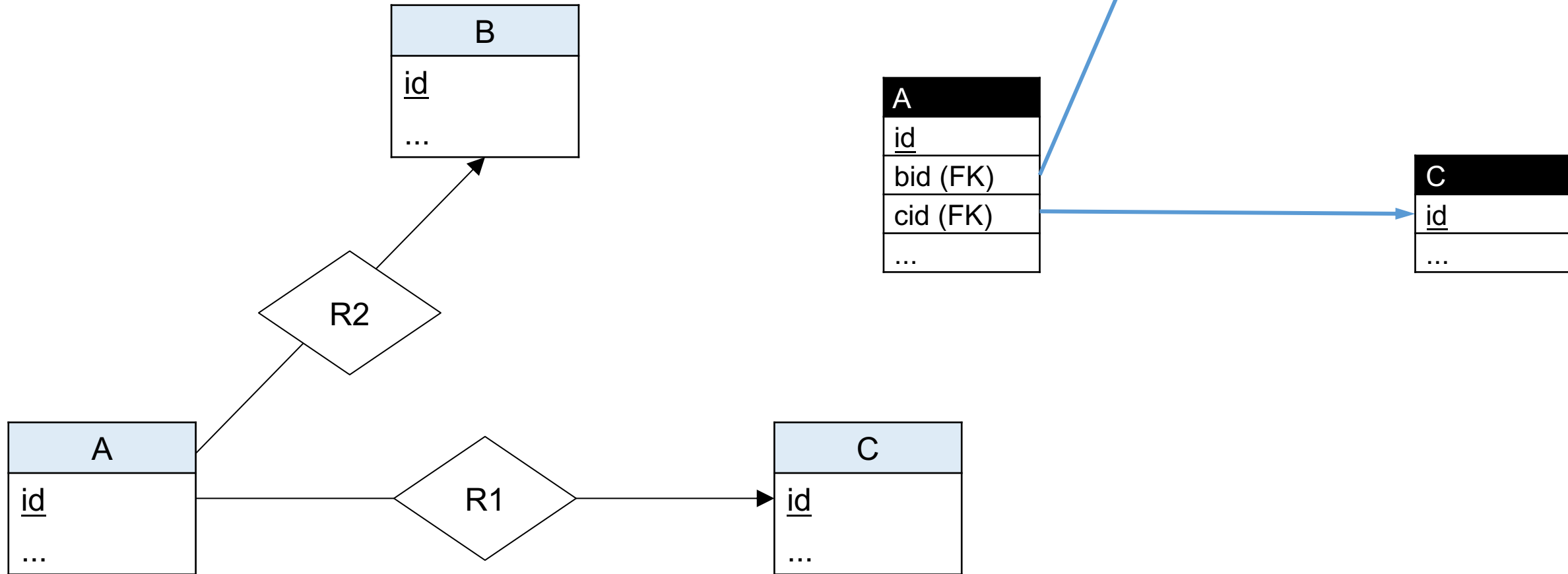


# ERD best practice

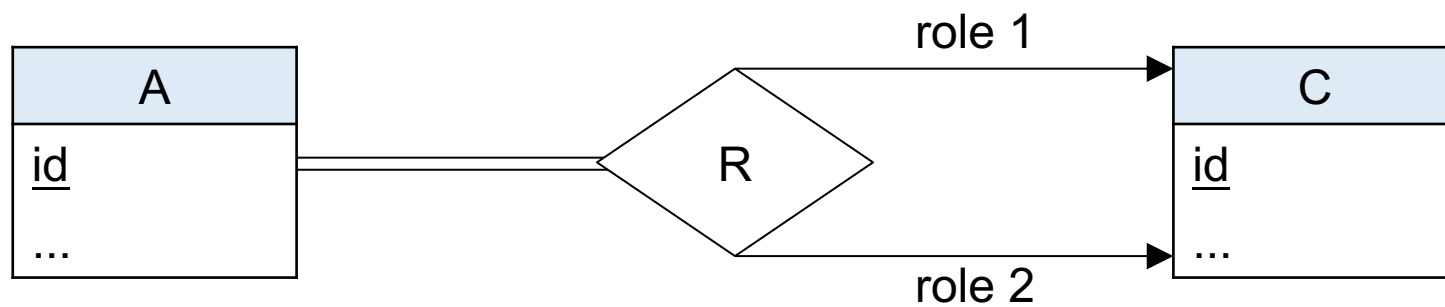




# ERD best practice



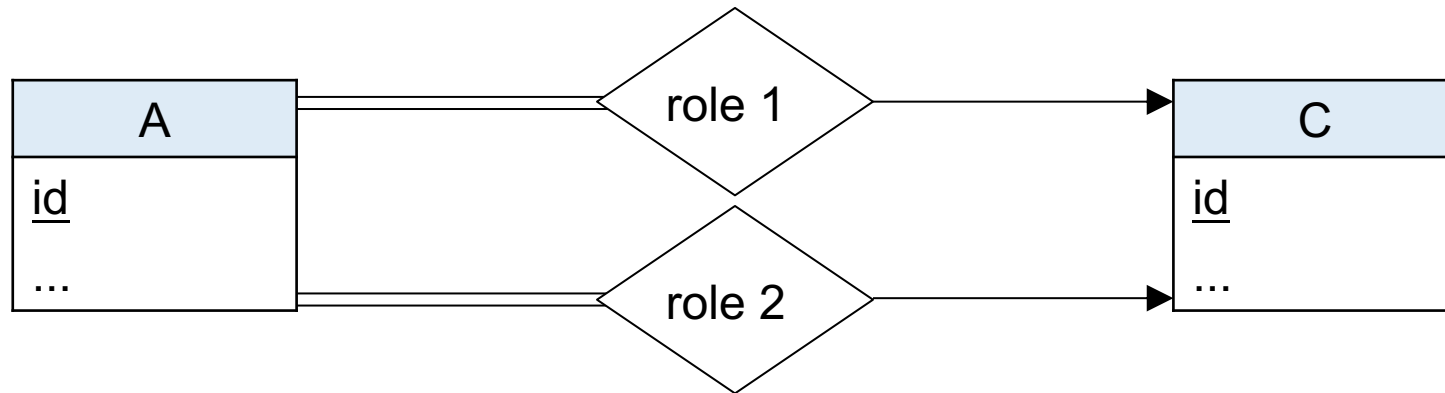
# ERD best practice



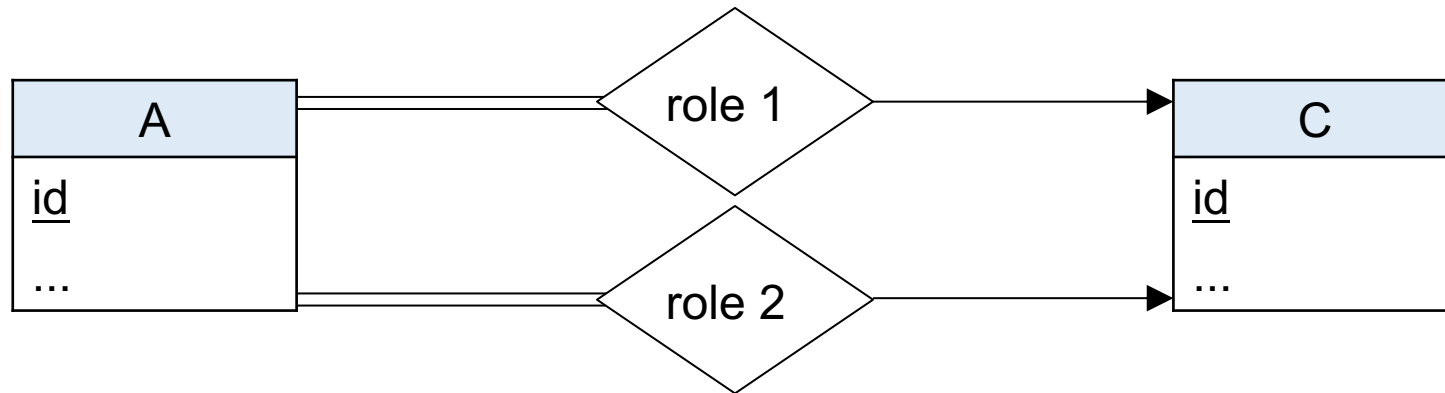
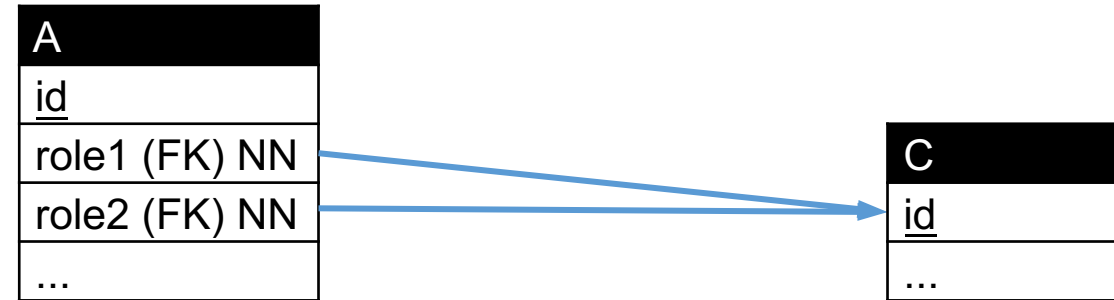
# ERD best practice



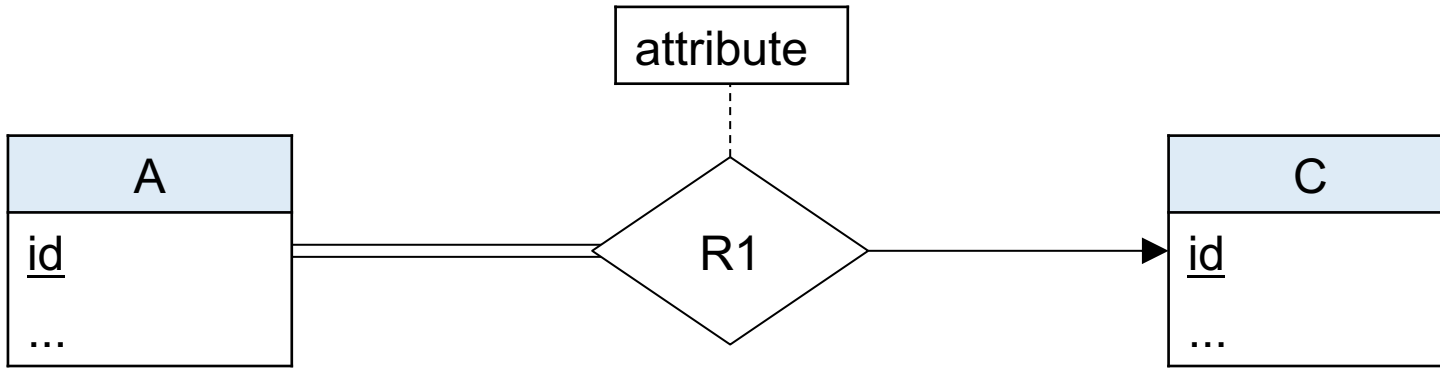
As tables ?



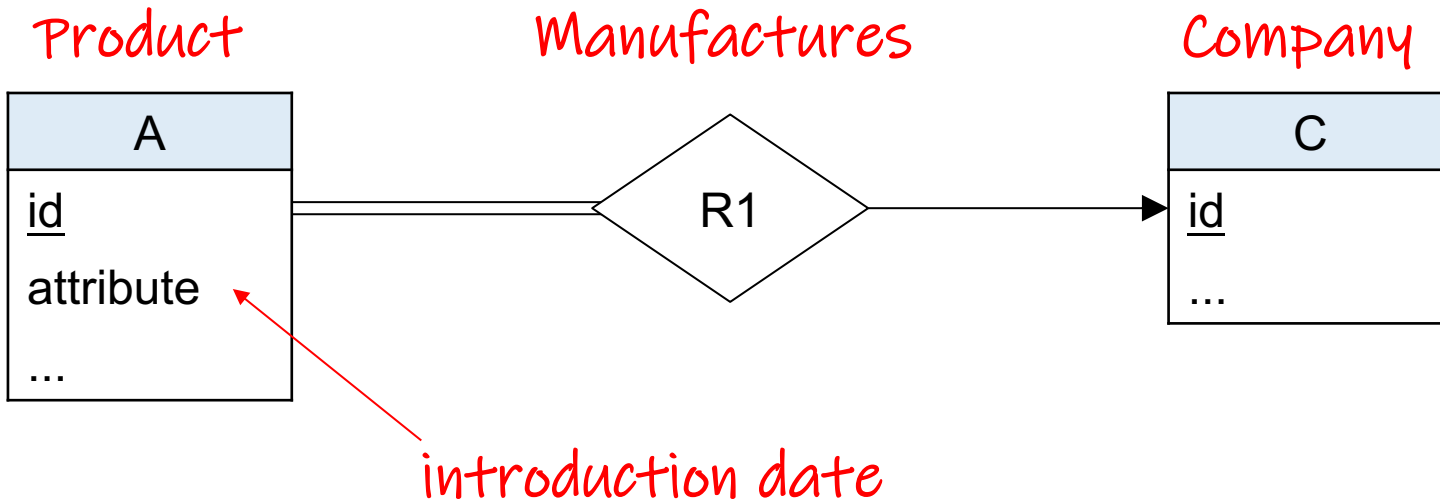
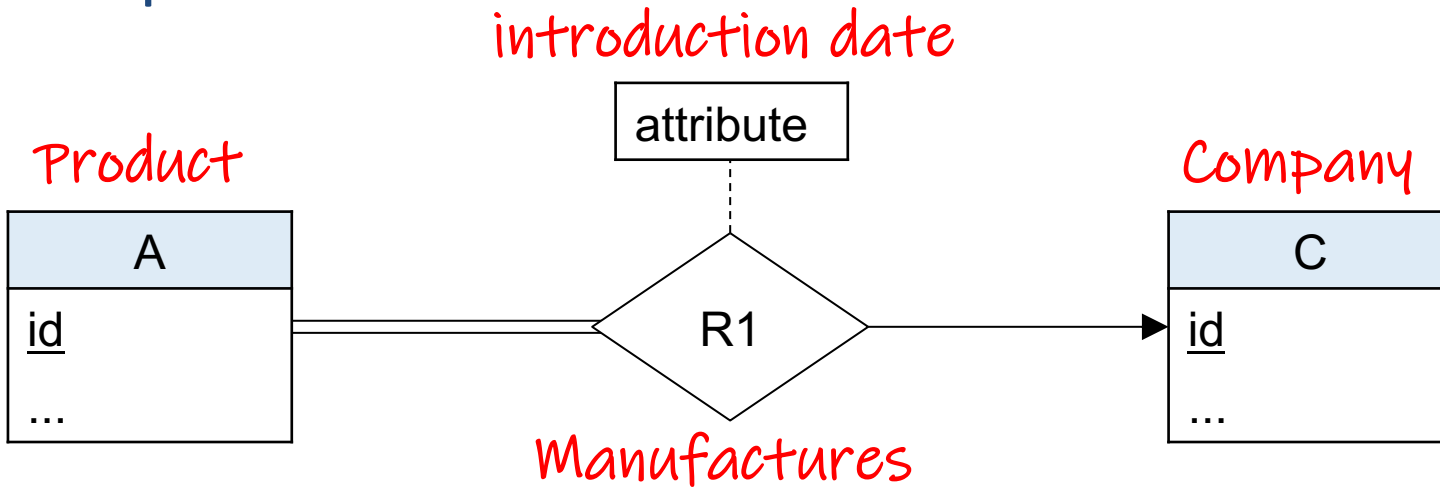
# ERD best practice



# ERD best practice



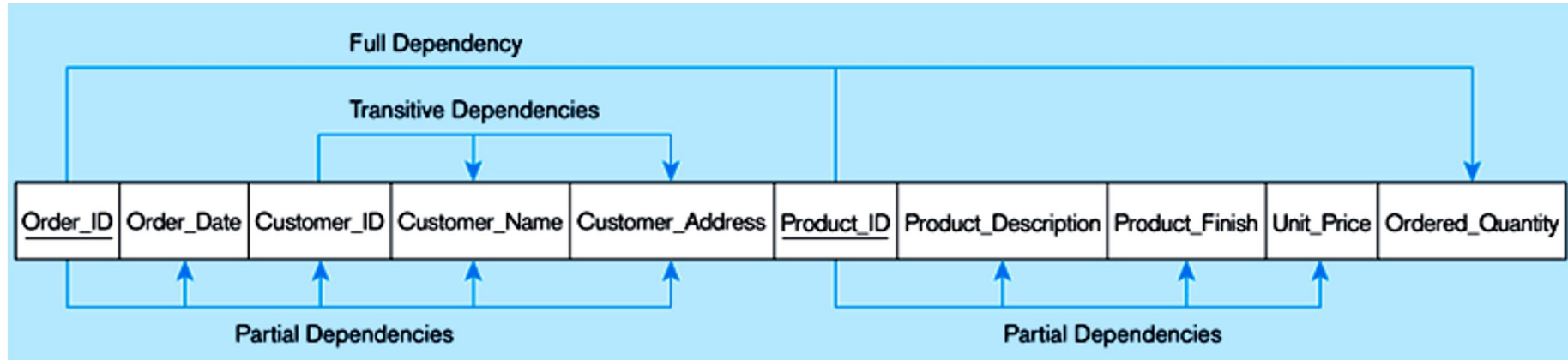
# ERD best practice



# Boyce-Codd Normal Form (BCNF)

# Quick recap FDs

- **Functional Dependency (FD)**: The value of one set of attributes (the **determinant**) uniquely determines the value of another set of attributes (the **dependents**)
- A **superkey (SK)** is as a set of attributes of a relation schema upon which all attributes of the schema are functionally dependent.
- A **candidate key (CK)** is a non-redundant (minimal) SK (sometimes called just "**a key**")
  - **Prime attribute**: belonging to some candidate key (the opposite is sometimes called a "**nonkey attribute**")
- **Partial FD**: FD in which some non-prime attributes are functionally dependent on part (but not all) of any CK
- **Transitive FD**: An FD between two (or more) nonkey attributes (important for distinction 3NF vs BCNF!)
- **3NF**: no partial nor transitive FD





# 3NF to BCNF

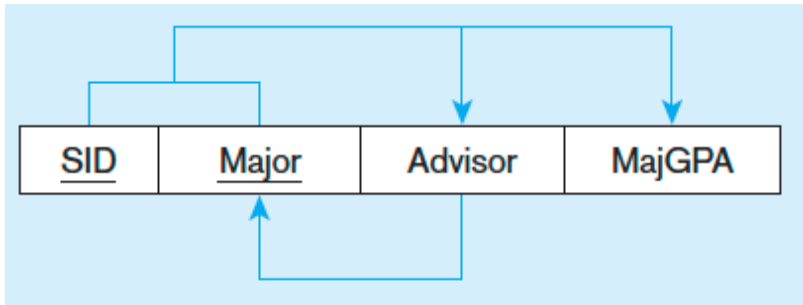
Assume this FD holds

STUDOR ADVISOR			
<u>SID</u>	<u>Major</u>	Advisor	MajGPA
123	Physics	Hawking	4.0
123	Music	Mahler	3.3
456	Literature	Michener	3.2
789	Music	Bach	3.7
678	Physics	Hawking	3.5

# 3NF to BCNF ↪ Assume this FD holds

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Recall:

- partial FD: non-prime attributes are functionally dependent on part (but not all) of any CK
- transitive FD: FD between two (or more) nonkey attributes
- Prime attribute: belonging to some CK

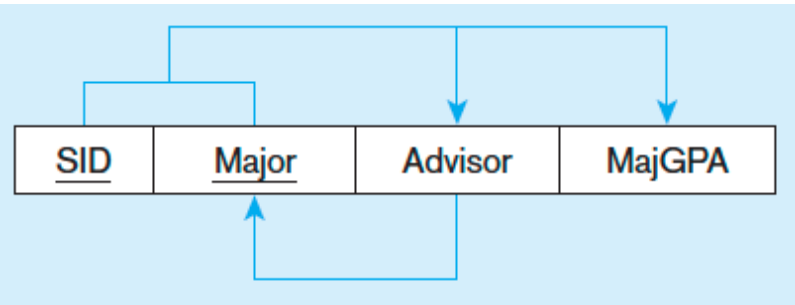
Is this in 3NF?



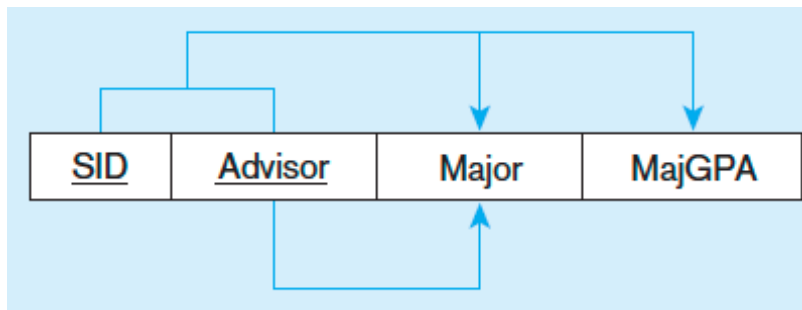
# 3NF to BCNF

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789	Music	Bach	3.7
678	Physics	Hawking	3.5



in 3NF

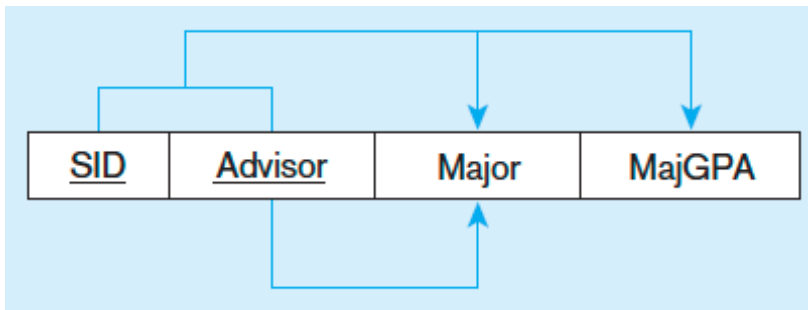
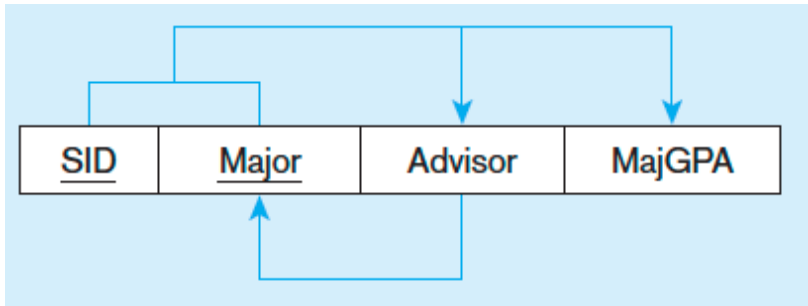


not in 3NF (so we know how to decompose it)

# 3NF to BCNF *in 3NF, but not BCNF*

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123	Physics	Hawking	4.0
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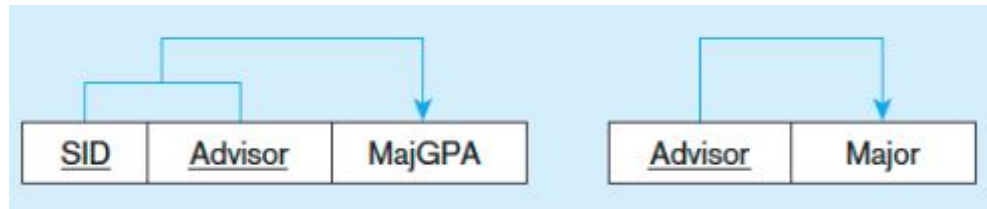
*in 3NF and BCNF*

STUDENT

<u>SID</u>	<u>Advisor</u>	MajGPA
123	Hawking	4.0
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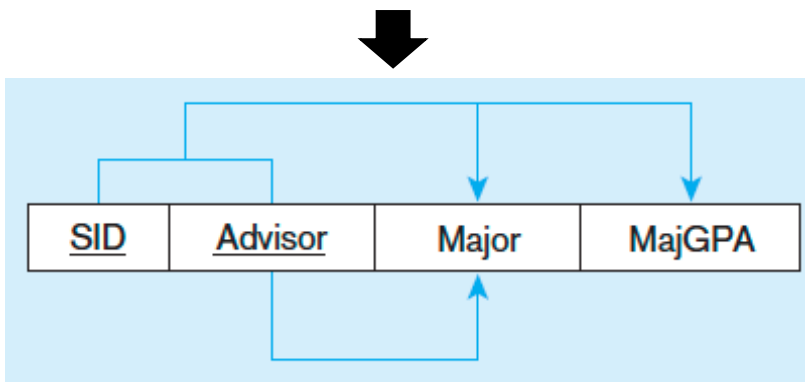
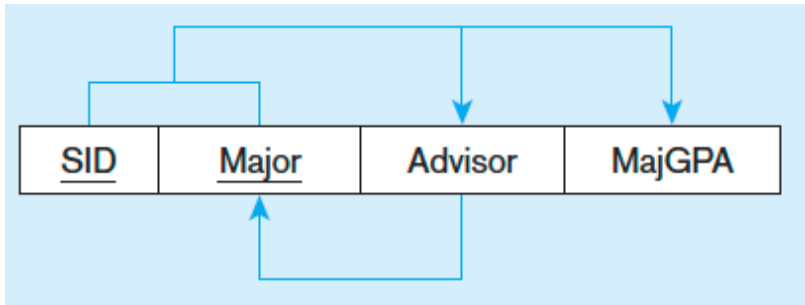
ADVISOR

<u>Advisor</u>	<u>Major</u>
Hawking	Physics
Mahler	Music
Michener	Literature
Bach	Music



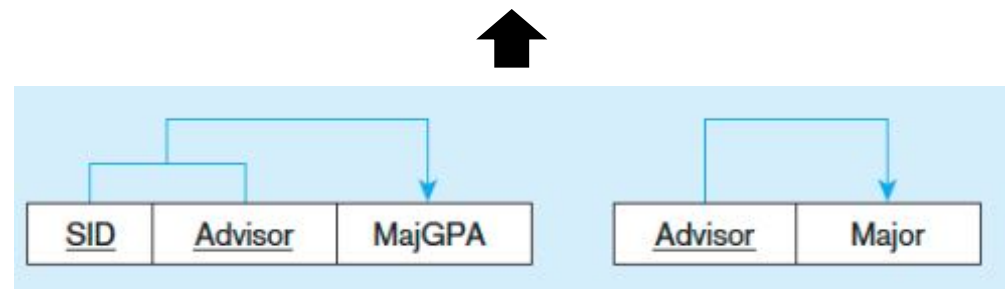
# 3NF to BCNF *in 3NF, but not BCNF*

STUDENT ADVISOR			
<u>SID</u>	Major	Advisor	MajGPA
123	Physics	Hawking	4.0
123	Music	Mahler	3.3
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*in 3NF and BCNF*

STUDENT			ADVISOR	
<u>SID</u>	<u>Advisor</u>	MajGPA	Advisor	Major
123	Hawking	4.0	Hawking	Physics
123	Mahler	3.3	Mahler	Music
456	Michener	3.2	Michener	Literature
789	Bach	3.7	Bach	Music
678	Hawking	3.5		



*BCNF instead of 3NF:*

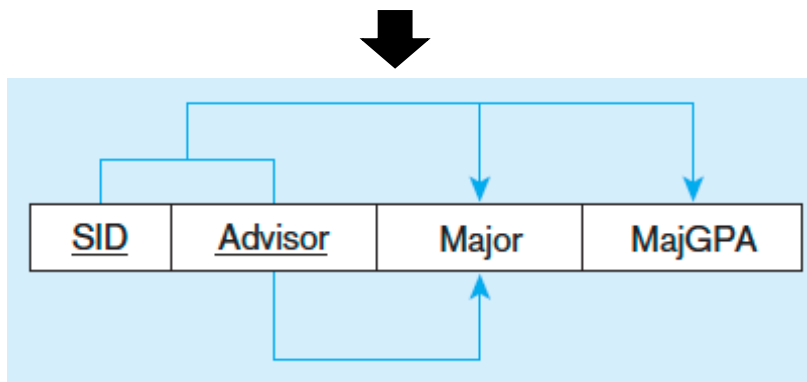
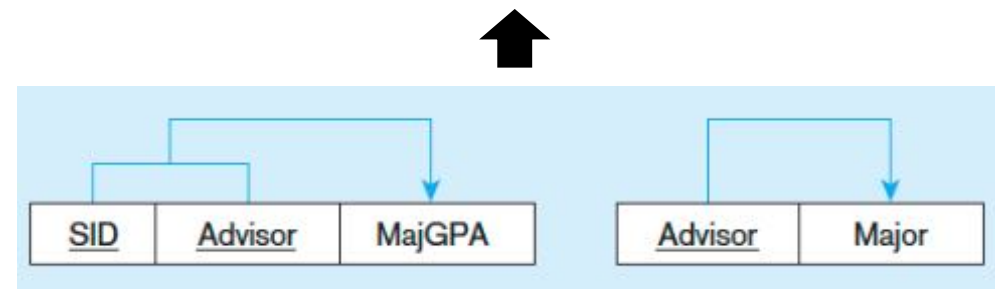
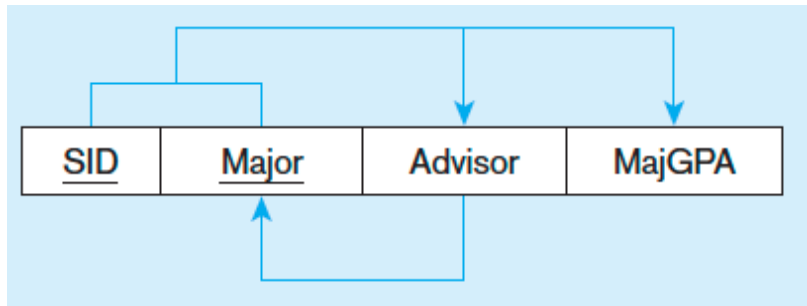
- less redundancy*

# 3NF to BCNF

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unpreserved FD

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123	Hawking	4.0	Hawking	Physics
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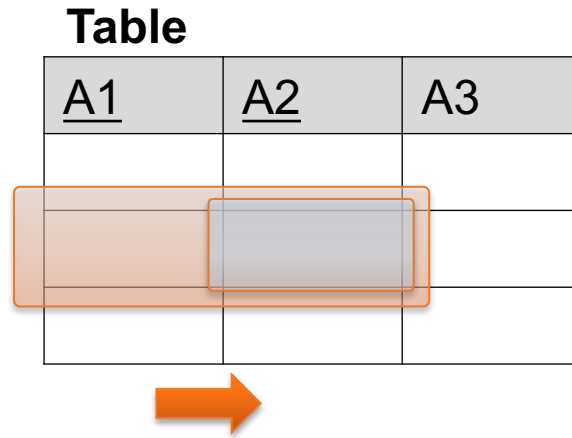
BCNF instead of 3NF:

- less redundancy
- but some FDs may not be preserved (split across tables) and thus hard to enforce: insert Student(789, "Mahler", 3.8) ?

# Definition Trivial FDs

**Table**

<u>A1</u>	<u>A2</u>	A3



$$A_1, A_2 \rightarrow A_2$$

More general:

$$A_1, \dots, A_m \rightarrow A_j \text{ for any } j=1, \dots, m$$

# Boyce-Codd Normal Form (BCNF)

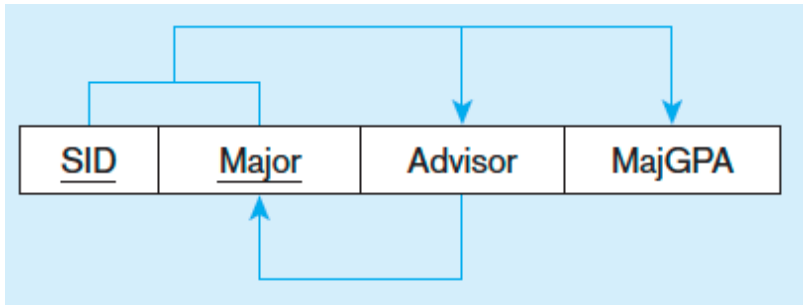
- **Boyce-Codd normal form (BCNF)**
  - A relation is in BCNF, if and only if, every **(non-trivial) determinant** is a superkey (SK), i.e. it determines all other attributes in a relation.
- The difference between 3NF and BCNF is that for a FD  $A \rightarrow B$ ,
  - 3NF allows this dependency in a relation if B is a prime attribute
    - (even if A is not a candidate key (CK))
  - whereas BCNF insists that for this dependency to remain in a relation, A must be a SK (contain a CK).



# 3NF to BCNF

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Is this in BCNF?



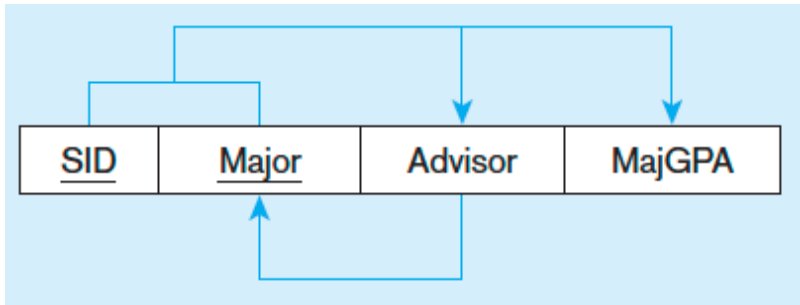
Recall:

- partial FD: non-prime attributes are functionally dependent on part (but not all) of any CK
- transitive FD: FD between two (or more) nonkey attributes
- Prime attribute: belonging to some CK
- A relation is in BCNF, if and only if, every (non-trivial) determinant is a superkey (SK).

# 3NF to BCNF

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## Recall:

- partial FD: non-prime attributes are functionally dependent on part (but not all) of any CK
- transitive FD: FD between two (or more) nonkey attributes
- Prime attribute: belonging to some CK
- A relation is in BCNF, if and only if, every (non-trivial) determinant is a superkey (SK).

Is this in BCNF?

No



Difference 3NF / BCNF: For a FD  $A \rightarrow B$ :

- 3NF allows this FD in a relation if B is a prime attribute
- BCNF insists that for this FD to remain in a relation, A must be a SK (contain a CK).

# BCNF vs 3NF

- **BCNF**: For every nontrivial FD  $X \rightarrow Y$  over relation  $R$ :
  - $X$  is a **superkey** of  $R$
- **3NF**: For every nontrivial FD  $X \rightarrow Y$  over relation  $R$ , either:
  - $X$  is a **superkey** of  $R$
  - or  $Y$  is **prime** (i.e. it is part of some CK)

Recall: a FD  $X \rightarrow Y$  is "trivial" iff  $Y \subseteq X$

Recall: no subset of a CK is a CK

# Why do we have both BCNF and 3NF?

There is a trade-off

- BCNF is stricter than 3NF (if data is in BCNF, then it is also in 3NF)
- **Advantages** of **3NF** over BCNF:
  - It is always possible to obtain a 3NF design and **preserving all functional dependencies** ("dependency preservation": all FDs hold within one table)
  - BCNF may not preserve all FDs (they become split across tables)
- **Disadvantages** of **3NF** over BCNF:
  - There is the problem of repetition of information (**more redundancy**).
  - We may have to use null values to represent some of the possible meaningful relationships among data items.

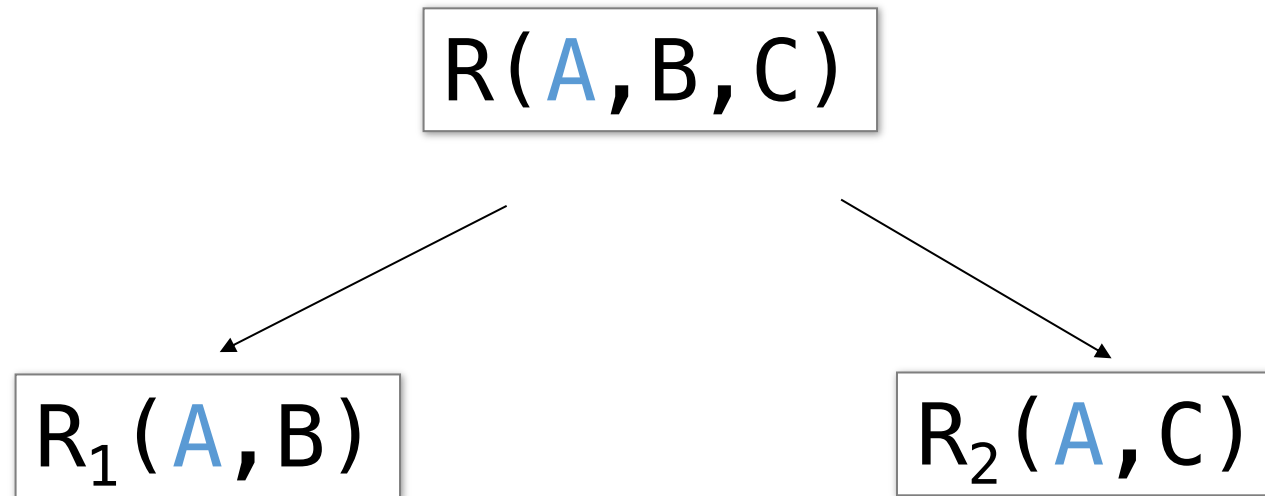
# Decompositions

# Recap: We decompose relations to remove redundancies

- We saw that **redundancies** in the data (caused by “bad FDs”) can lead to data **anomalies** (insert, update, deletion anomalies)
- We developed mechanisms to detect and remove redundancies by decomposing tables into 3NF or BCNF ("**normalization**")
  - Both 3NF and BCNF decomposition are standard practice and widely used!
- However, sometimes "**decompositions**" can lead to more subtle unwanted effects...

Next let's try to understand when this can happen 😊

# Decompositions in General



Attributes  $A, B, C$  can also stand for a set of attributes  $A_1, \dots, A_n, B_1, \dots, B_m, C_1, \dots, C_p$ , and everything still holds in an obvious way. But it is far easier to follow along this simplified presentation.

$R_1$  = the *projection* of  $R$  on  $A, B$

$R_2$  = the *projection* of  $R$  on  $A, C$

# Lossless Decomposition

*A*                      *B*                      *C*

Name	Price	Category
Gizmo	19.99	Gadget
OneClick	24.99	Camera
Gizmo	19.99	Camera

Sometimes a decomposition is "correct", i.e. it is lossless (i.e. we don't "lose" information)

*A*                      *B*

Name	Price
Gizmo	19.99
OneClick	24.99
<del>Gizmo</del>	<del>19.99</del>

*A*                      *C*

Name	Category
Gizmo	Gadget
OneClick	Camera
Gizmo	Camera



# Lossless Decomposition

*C*                      *B*                      *A*

Name	Price	Category
Gizmo	19.99	Gadget
OneClick	24.99	Camera
Gizmo	19.99	Camera

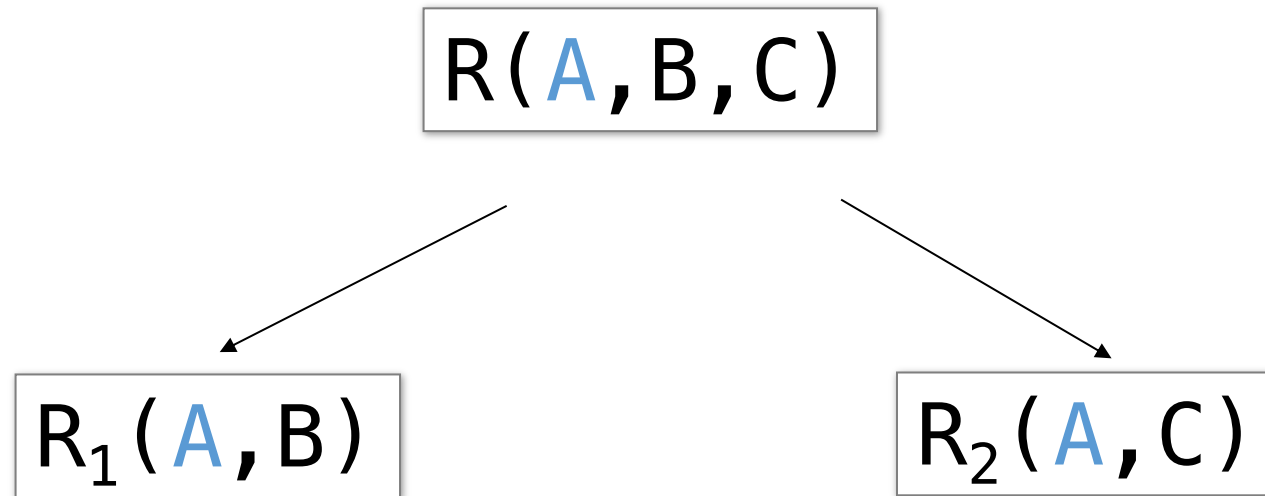
Sometimes such a decomposition is wrong. Here we lost information (which names appear with which prices?). Why does this happen?

*C*                      *A*                      *B*                      *A*

Name	Category
Gizmo	Gadget
OneClick	Camera
Gizmo	Camera

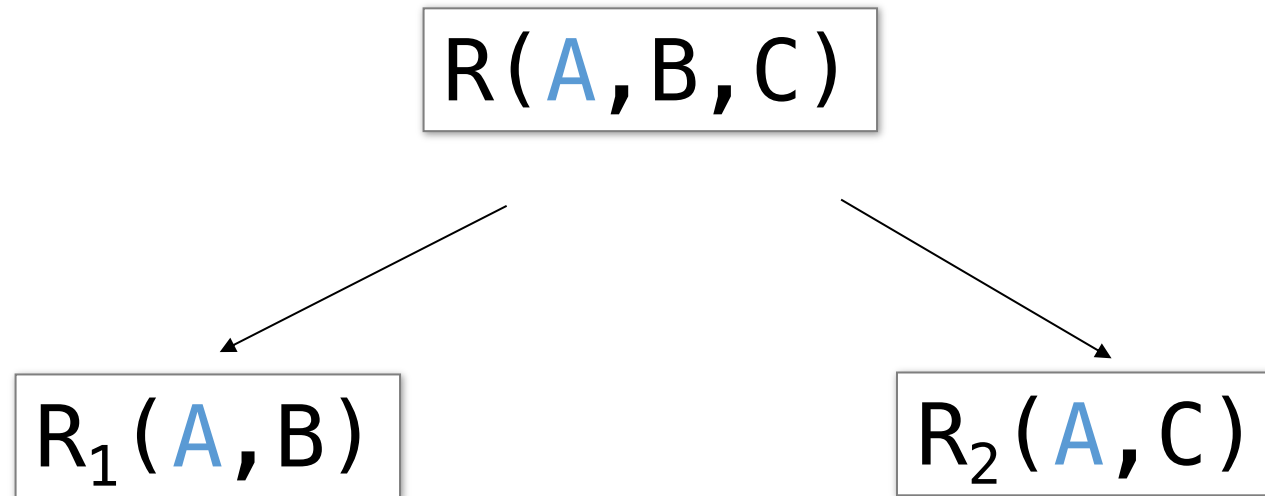
Price	Category
19.99	Gadget
24.99	Camera
19.99	Camera

# Lossless Decompositions



A decomposition  $R$  to  $(R_1, R_2)$  is lossless if  $R = R_1 \bowtie R_2$

# Lossless Decompositions



If  $A \rightarrow B$  then the decomposition is lossless

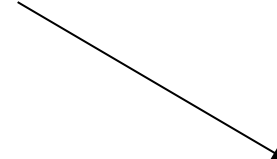
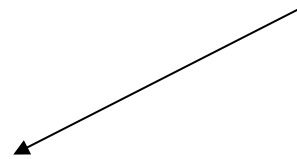
Note: we don't need  $A \rightarrow C$  at the same time

BCNF decomposition is always lossless. Why?

# A familiar example

## Item

<u>PName</u>	Price	Category	Manufacturer	StockPrice	Country
Gizmo	\$19.99	Gadgets	GizmoWorks	25	USA
Powergizmo	\$29.99	Gadgets	GizmoWorks	25	USA
SingleTouch	\$149.99	Photography	Canon	65	Japan
MultiTouch	\$203.99	Household	Hitachi	15	Japan



## Product

<u>PName</u>	Price	Category	Manufacturer
Gizmo	\$19.99	Gadgets	GizmoWorks
Powergizmo	\$29.99	Gadgets	GizmoWorks
SingleTouch	\$149.99	Photography	Canon
MultiTouch	\$203.99	Household	Hitachi

## Company

<u>Manufacturer</u>	StockPrice	Country
GizmoWorks	25	USA
Canon	65	Japan
Hitachi	15	Japan

# A problem with BCNF

Problem: To enforce a FD, we may have to reconstruct original relation—*on each insert!*

*Note: This is historically inaccurate, but it makes it easier to explain*

# A problem with BCNF

Assume following FDs hold:

Unit  $\rightarrow$  Company

Company, Product  $\rightarrow$  Unit

Unit	Company	Product
...	...	...

<u>Unit</u>	Company
...	...

Unit	Product
...	...

We do a BCNF decomposition on FD: **Unit  $\rightarrow$  Company**

We have not preserved the FD **Company, Product  $\rightarrow$  Unit !**

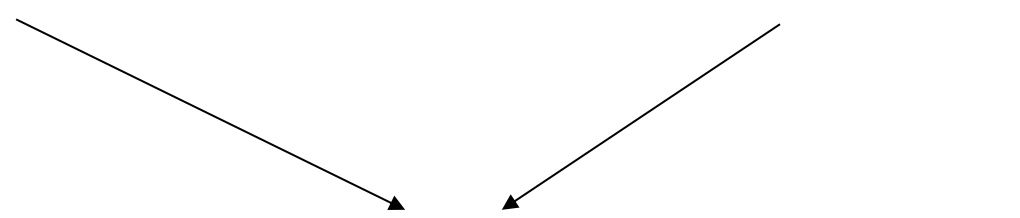
# So Why is that a Problem?

Assume following FDs hold:

Unit  $\rightarrow$  Company  
Company, Product  $\rightarrow$  Unit

<u>Unit</u>	Company
Toys	GizmoWorks
Future	GizmoWorks

Unit	Product
Toys	Gizmo
Future	Gizmo



Unit	Company	Product
Toys	GizmoWorks	Gizmo
Future	GizmoWorks	Gizmo

No problem so far.  
All local FD's are satisfied:

Unit  $\rightarrow$  Company

Let's put all the data back into a single table again:

Violates the FD Company, Product  $\rightarrow$  Unit

# The Problem

- We started with a table **R** and FDs **F**
- We decomposed R into BCNF tables **R1, R2, ...** with their own FDs **F1, F2, ...**
- We insert some tuples into each of the relations which satisfy their local FDs but when reconstruct it violates some FD across tables!

Practical Problem: To enforce FD, must reconstruct R, *on each insert!*



# Possible Solutions

- Various ways to handle so that decompositions are dependency preserving
  - For example 3NF: stop short of full BCNF decompositions.
- Usually a tradeoff between redundancy / data anomalies and FD preservation...

BCNF still more common- with additional steps to keep track of lost FDs...

# Summary and Quiz

- A decomposition of relation  $R$  into relation  $R_1$  and  $R_2$  is **lossless** if



# Summary and Quiz



- A decomposition of relation R into relation R1 and R2 is **lossless** if  $R1 \bowtie R2 = R$
- A decomposition is **dependency-preserving** if



# Summary and Quiz



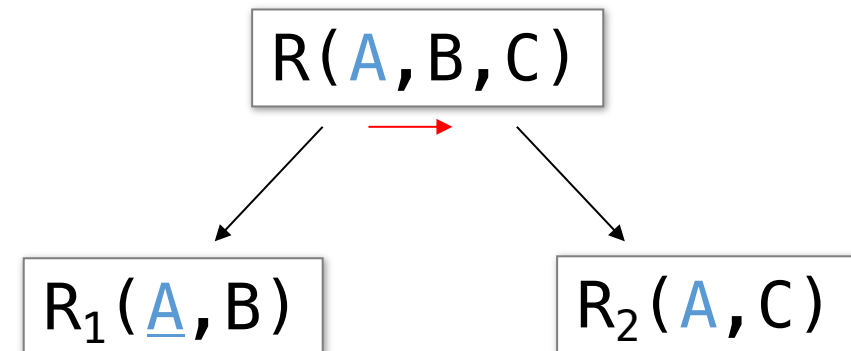
- A decomposition of relation R into relation R1 and R2 is **lossless** if  $R1 \bowtie R2 = R$
- A decomposition is **dependency-preserving** if
  - all FDs (functional dependencies) from R are preserved in either R1 or R2 (or both or derivable from a combination of the FDs in R1 and R2).
    - thus the FDs of R can be obtained by taking the union of the FDs of all the decomposed relation
  - The **dependency preservation decomposition** is another property of decomposed relational database schema D in which each FD  $X \rightarrow Y$  either appeared directly in one of the relation schemas  $R_i$  in the decomposed D or could be inferred from the dependencies that appear in some  $R_i$ .
- A decomposition of Relation R into R1 and R2 is lossless if and only if at least one of following dependencies hold:



# Summary and Quiz



- A decomposition of relation R into relation R1 and R2 is **lossless** if  $R1 \bowtie R2 = R$
- A decomposition is **dependency-preserving** if
  - all FDs (functional dependencies) from R are preserved in either R1 or R2 (or both or derivable from a combination of the FDs in R1 and R2).
    - thus the FDs of R can be obtained by taking the union of the FDs of all the decomposed relation
  - The **dependency preservation decomposition** is another property of decomposed relational database schema D in which each FD  $X \rightarrow Y$  either appeared directly in one of the relation schemas  $R_i$  in the decomposed D or could be inferred from the dependencies that appear in some  $R_i$ .
- A decomposition of Relation R into R1 and R2 is lossless if and only if at least one of following dependencies hold:
  - 1.  $R1 \cap R2 \rightarrow R1$
  - 2.  $R1 \cap R2 \rightarrow R2$



# 4NF and higher

# 3NF Motivation

A relation R is in 3rd normal form if :

Whenever there is a nontrivial dep.  $A_1, A_2, \dots, A_n \rightarrow B$  for R,  
then  $\{A_1, A_2, \dots, A_n\}$  is a super-key for R,  
or B is part of a key.

Tradeoffs:

**BCNF**: no anomalies, but may not preserve some FDs

**3NF**: keeps all FDs, but may have some anomalies

# Motivation of 4NF and higher

Assume for each course, we can independently choose a lecturer and a book. What is the problem?

## Classes

Course	Lecturer	Book
cse444	Alexandra	Complete book
cse444	Wolfgang	Complete book
cse444	Alexandra	Cow book



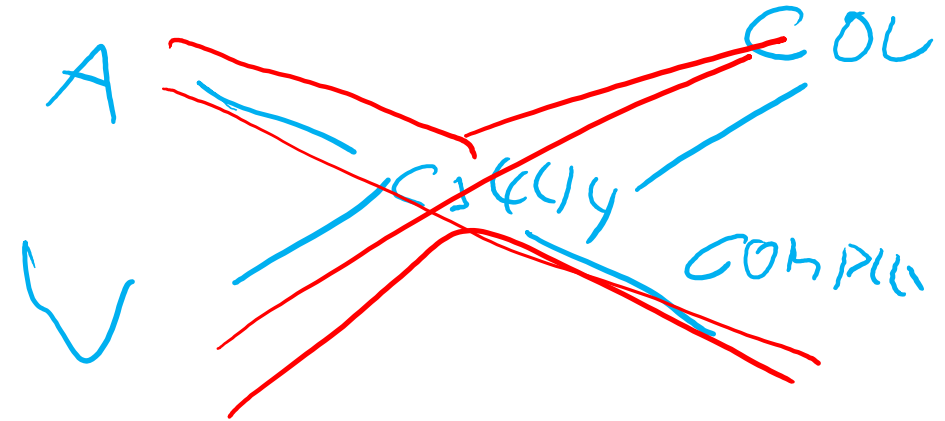


# Motivation of 4NF and higher

Assume for each course, we can independently choose a lecturer and a book. What is the problem?

## Classes

Course	Lecturer	Book
cse444	Alexandra	Complete book
cse444	Wolfgang	Complete book
cse444	Alexandra	Cow book
cse444	Wolfgang	Cow book



Multi-valued dependency (MVD) **Course**  $\twoheadrightarrow$  **Lecturer**:

In every legal instance, each **Course** value is associated with a set of **Lecturer** values and this set is independent of the values in the other attributes (here **Book**).

Multi-valued dependency (MVD) generalized Functional dependencies (FDs)

# Normalization Practice!



# Parking Tickets: Original List



**TABLE 4-6** Parking Tickets at Millennium College

Parking Ticket Table

St ID	L Name	F Name	Phone No	St Lic	Lic No	Ticket #	Date	Code	Fine
38249	Brown	Thomas	111-7804	FL	BRY 123	15634	10/17/10	2	\$25
						16017	11/13/10	1	\$15
82453	Green	Sally	391-1689	AL	TRE 141	14987	10/05/10	3	\$100
						16293	11/18/10	1	\$15
						17892	12/13/10	2	\$25

In what normal form is this data ?

# Parking Tickets: Original List



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*Above none! Not even 1NF. Below now yes. Except there are still two problems*



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# Parking Tickets: Relation in 1NF



**TABLE 4-6** Parking Tickets at Millennium College

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1. No empty spaces in attribut names. 2. We still need a PK!



**ParkingTickets**

STID	LName	FName	PhoneNo	StLic	LicNo	Ticketnr	Date	Code	Fine
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# Parking Tickets: Relation in 1NF

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# Parking Tickets: Dependency diagram

Draw all FDs!



1. Functional Dependencies (FDs) resulting from Primary Key (PK).



STID	LName	FName	PhoneNo	StLic	LicNo	<u>Ticketnr</u>	Date	Code	Fine
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## ParkingTickets

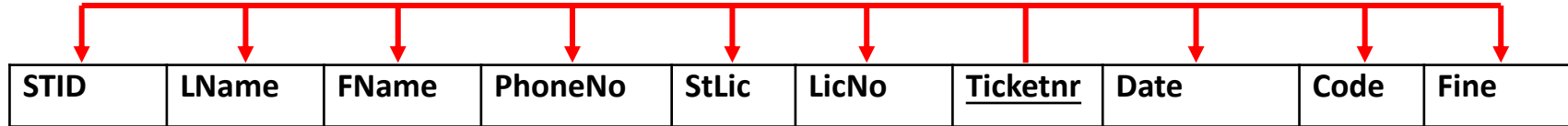
STID	LName	FName	PhoneNo	StLic	LicNo	<u>Ticketnr</u>	Date	Code	Fine
38249	Brown	Thomas	111-7804	FL	BRY 123	15634	10/17/10	2	\$25
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# Parking Tickets: Dependency diagram



## 1. Functional Dependencies (FDs) resulting from Primary Key (PK).



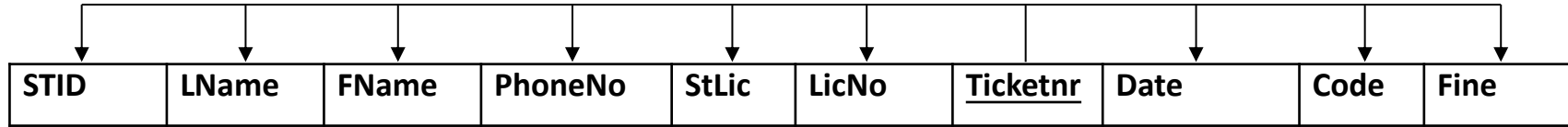
### ParkingTickets

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# Parking Tickets: Dependency diagram



1. Functional Dependencies (FDs) resulting from Primary Key (PK).
2. Code encodes the type of violation and thus determines the fine.



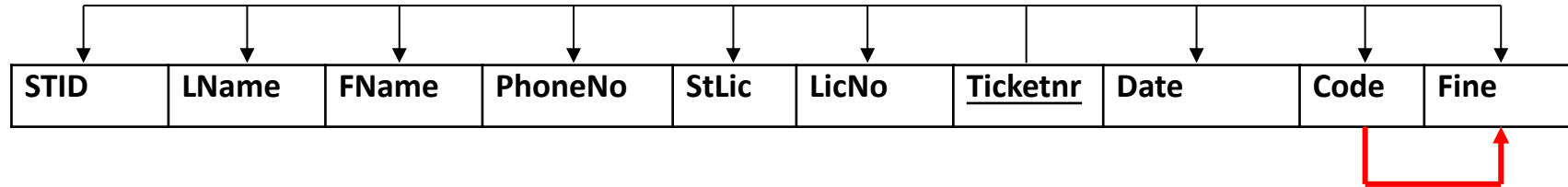
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# Parking Tickets: Dependency diagram



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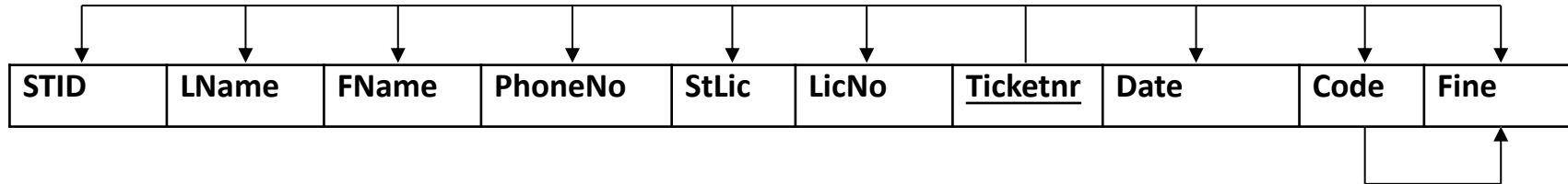
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# Parking Tickets: Dependency diagram



3. Assume that each student can have maximal one car



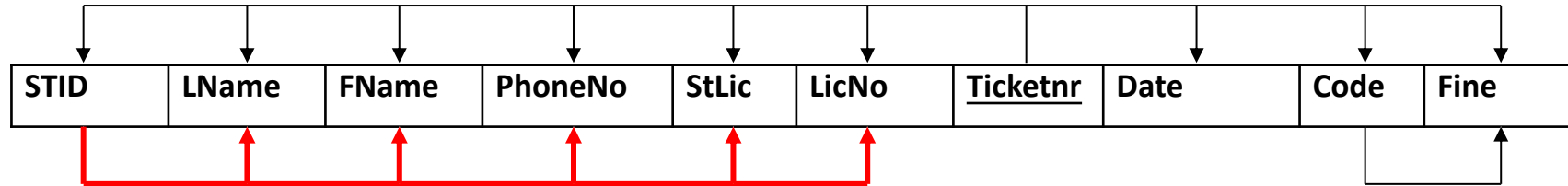
## ParkingTickets

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# Parking Tickets: Dependency diagram



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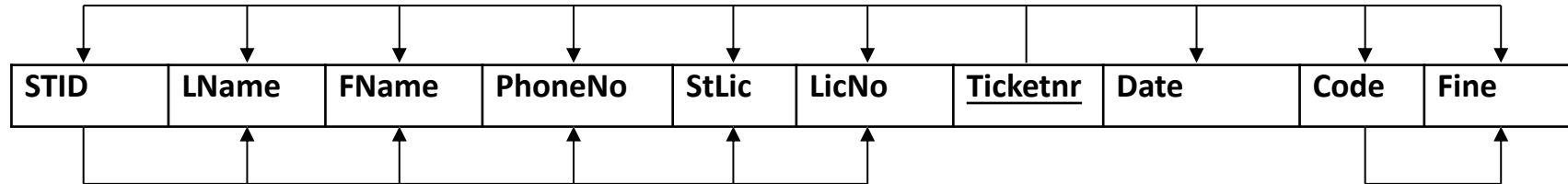
**ParkingTickets**

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# Parking Tickets: Dependency diagram



3. Assume that each student can have maximal one car



3'. Assume instead that each student can have more than one car



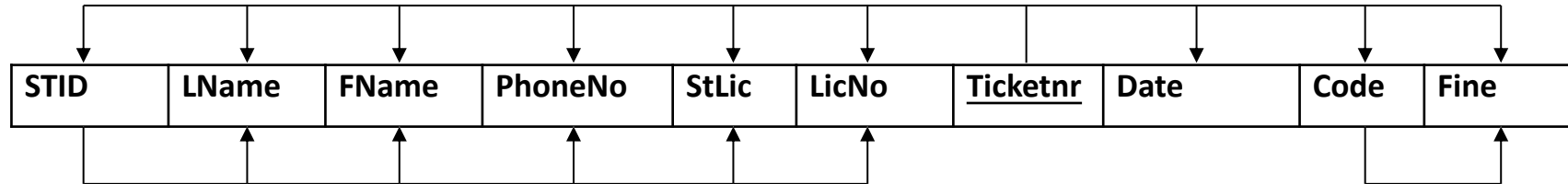
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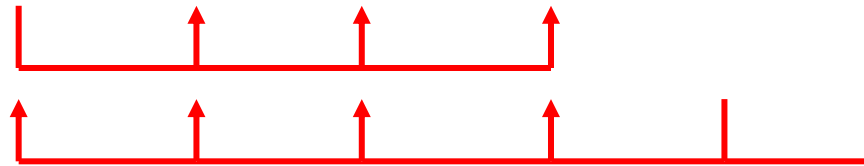
# Parking Tickets: Dependency diagram



3. Assume that each student can have maximal one car



3'. Assume instead that each student can have more than one car



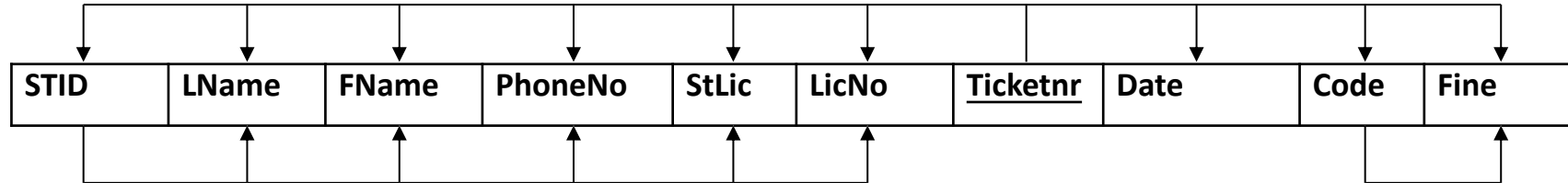
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# Parking Tickets: Relations in 3NF



3. Assume that each student can have maximal one car



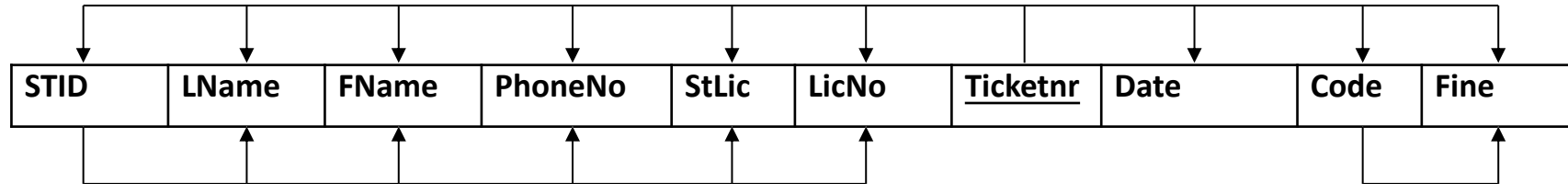
How do we normalize ?



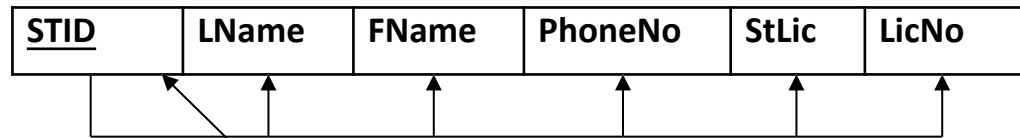
# Parking Tickets: Relations in 3NF



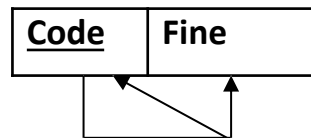
3. Assume that each student can have maximal one car



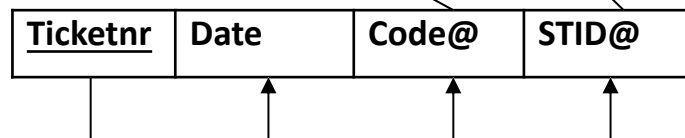
**Student**



**TicketCode**



**Ticket**

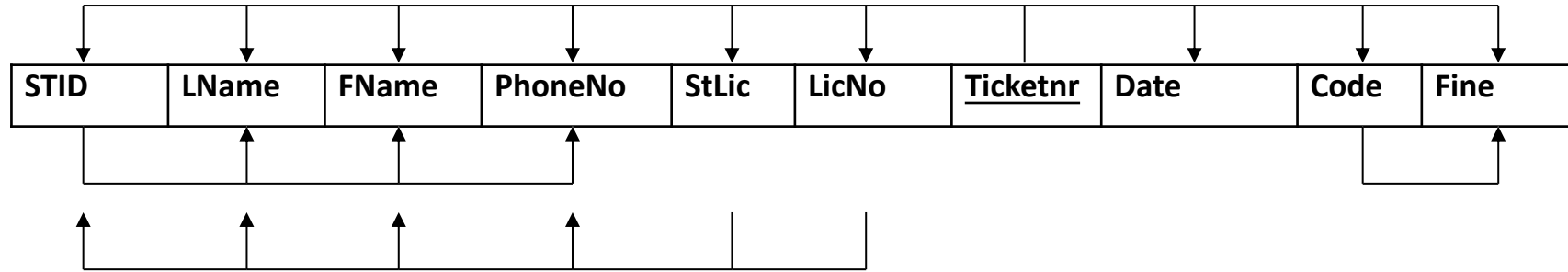


No more partial nor transitive FDs!

# Parking Tickets: Relations in 3NF



3'. Assume instead that each student can have more than one car

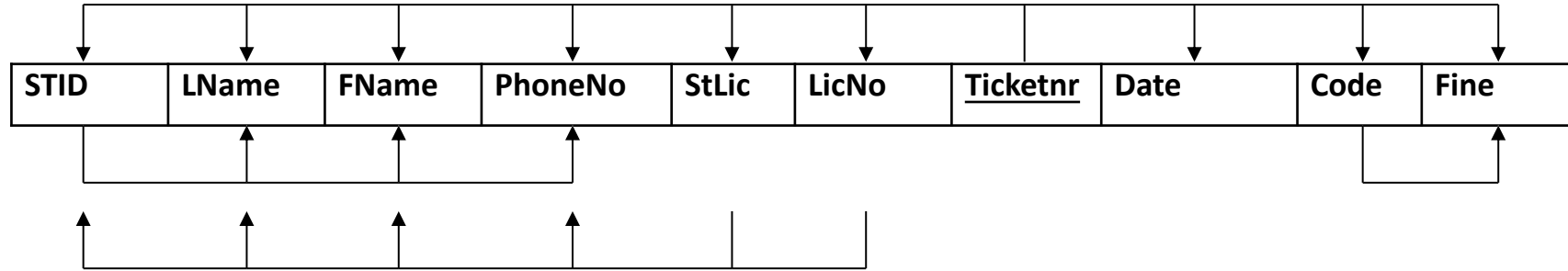


How do we normalize ?

# Parking Tickets: Relations in 3NF



Next assume, students can have more than one car:



## Student

<u>STID</u>	LName	FName	PhoneNo
-------------	-------	-------	---------

## Car

<u>StLic</u>	<u>LicNo</u>	STID@
--------------	--------------	-------

## TicketCode

<u>Code</u>	Fine
-------------	------

## Ticket

<u>Ticketnr</u>	Date	Code@	StLic@	LicNo@
-----------------	------	-------	--------	--------